

# Heat flow in the roots of the Krafla geothermal system

Temperature condition modelling for  
well IDDP-1

Sigríður Sif Gylfadóttir

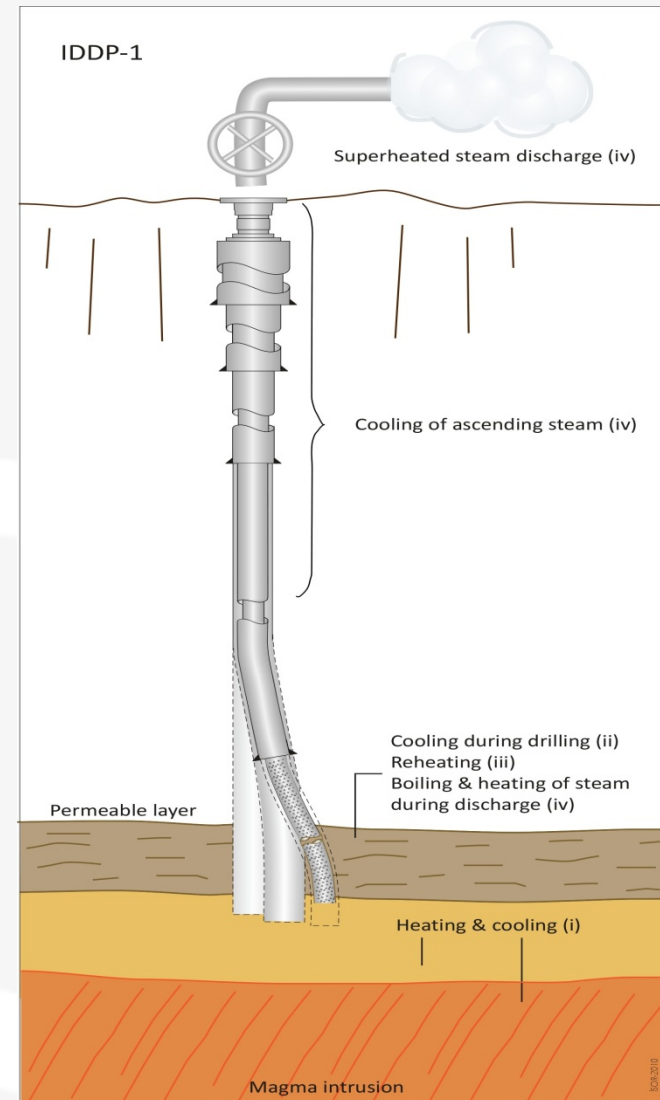
Guðni Axelsson

# Introduction

- Well IDDP-1 drilled into magma at ~2100 m depth.
- Heat-up and discharge measurements were used to try to understand the overall temperature evolution at least approximately through modelling exercises.
  - Attempt to estimate the probable age and size of the magma intrusion. Is it old enough to have been emplaced during the Krafla episode?
  - Estimate the temperature at well-bottom by fitting to warm-up measurements.
  - Explain the constantly increasing temperature of the super-heated steam discharged by the well.

# Scenario

- I Temperature inside and around magma intrusion.
- II Reheating of permeable layer during close-in.
- III Temperature evolution of steam discharged during discharge testing.

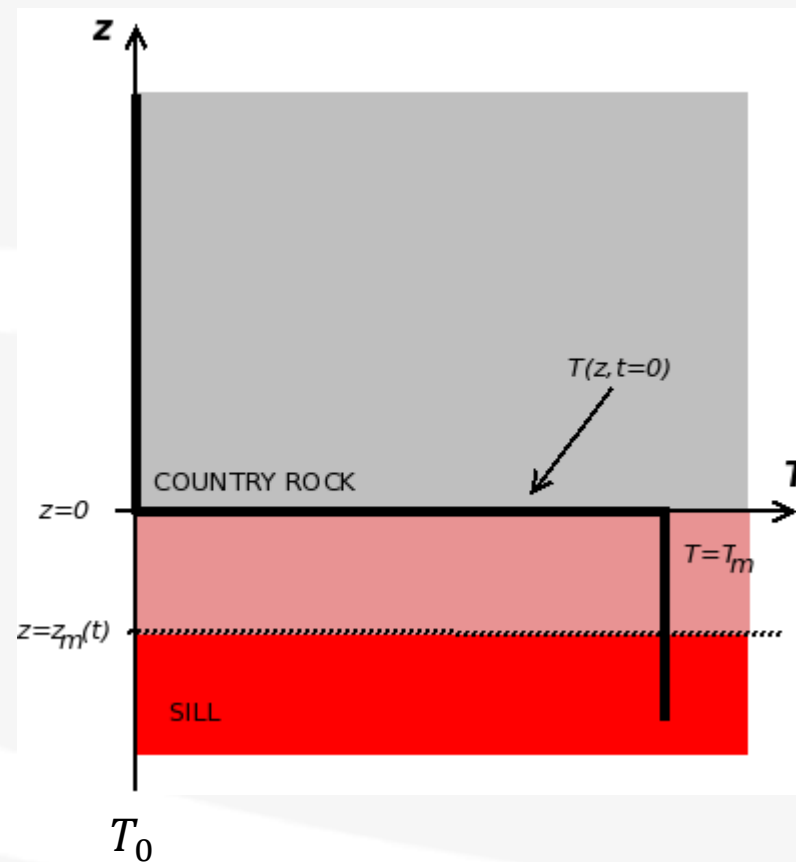


# I Magma temperature conditions

- Two models:
  - A: Magma has a single liquidus/solidus-temperature and starts solidifying immediately after intrusion
    - Liquidus temperature: at which magma is fully liquid.
    - Solidus temperature: at which magma is fully solidified.
  - B: Magma is so hot that no solidification has occurred since emplacement.

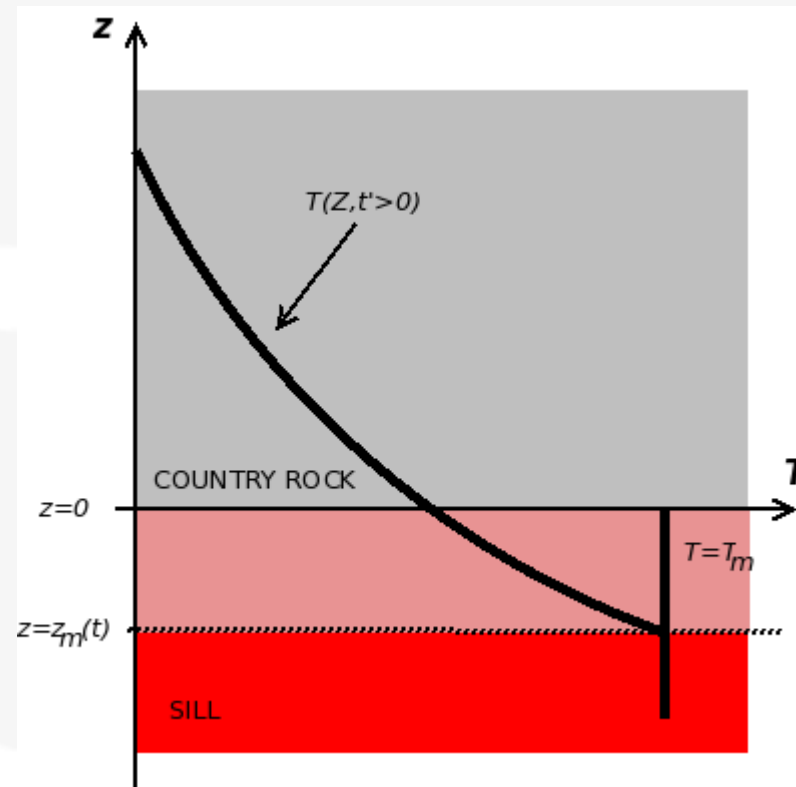
# I Model A: Single liquid/solid temperature

- Magma layer of constant thickness near solidus point  $T_m \cong 850^\circ\text{C}$ .
- Solidification from above and below.



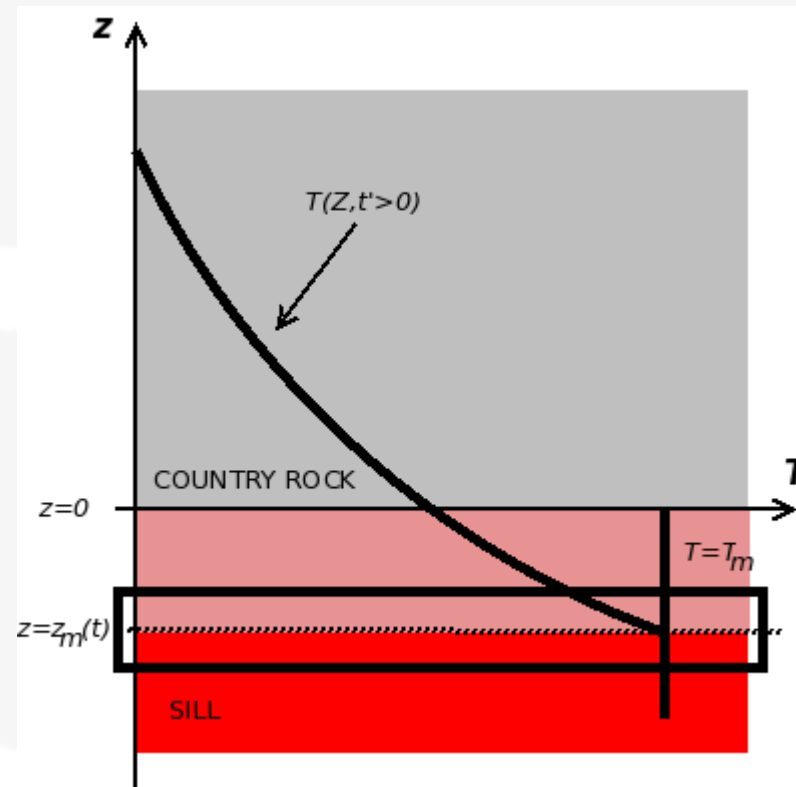
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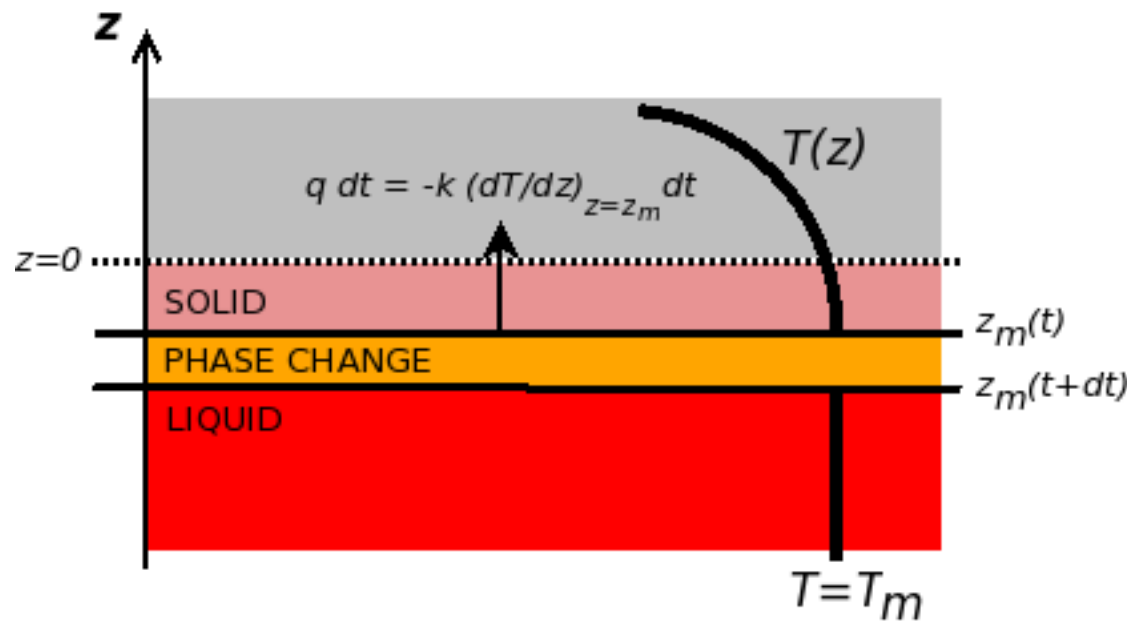


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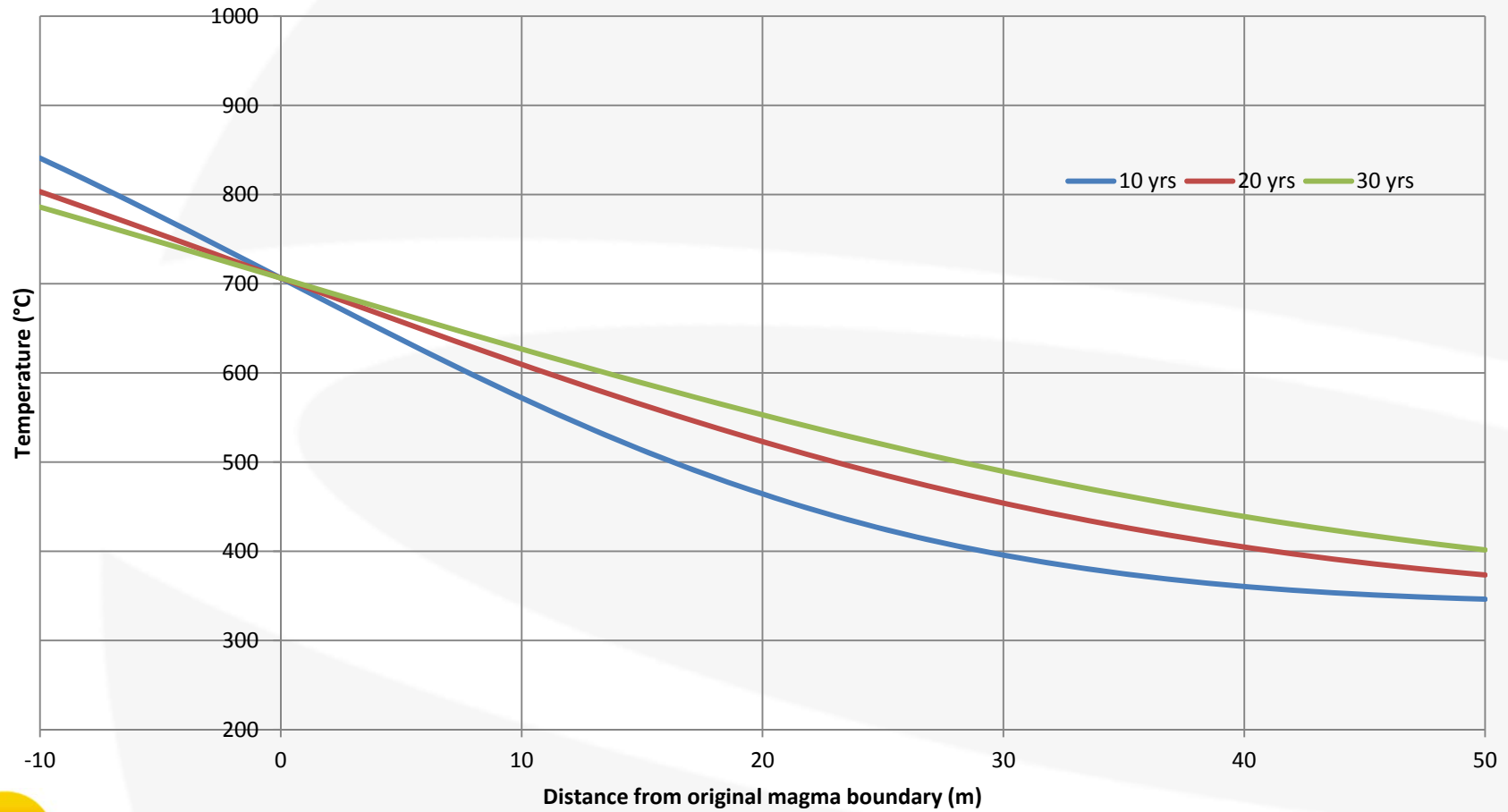


$$T(z, t) = T_0 + (T_m - T_0) \frac{\operatorname{erfc}\left(\frac{z}{2\sqrt{\kappa t}}\right)}{1 + \operatorname{erf}(\lambda)}$$

$$\frac{L\sqrt{\pi}}{\beta(T_m - T_0)} = \frac{e^{-\lambda^2}}{\lambda(1 + \operatorname{erf}(\lambda))}$$



# I Model A: Temperature profiles

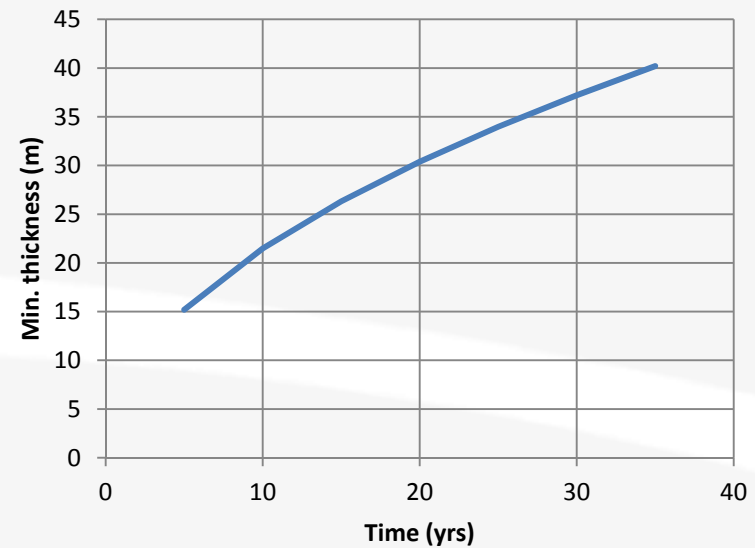


# I Model A: Temperature profiles

- T only risen to  $\sim 400^{\circ}\text{C}$  at permeable layer 40-50 m above original magma boundary
  - We can't rule out that magma was introduced as long ago as 30 years
- Weak points:
  - Single solidus/liquidus temperature
    - Rhyolite solidifies over a range of temperatures from the liquidus to the solidus temperature.
  - Stationary solidification.
    - Convection is possible since ductile/brittle boundary of rhyolite is at  $T \sim 400^{\circ}\text{C}$ .

# I Model A: Minimum thickness

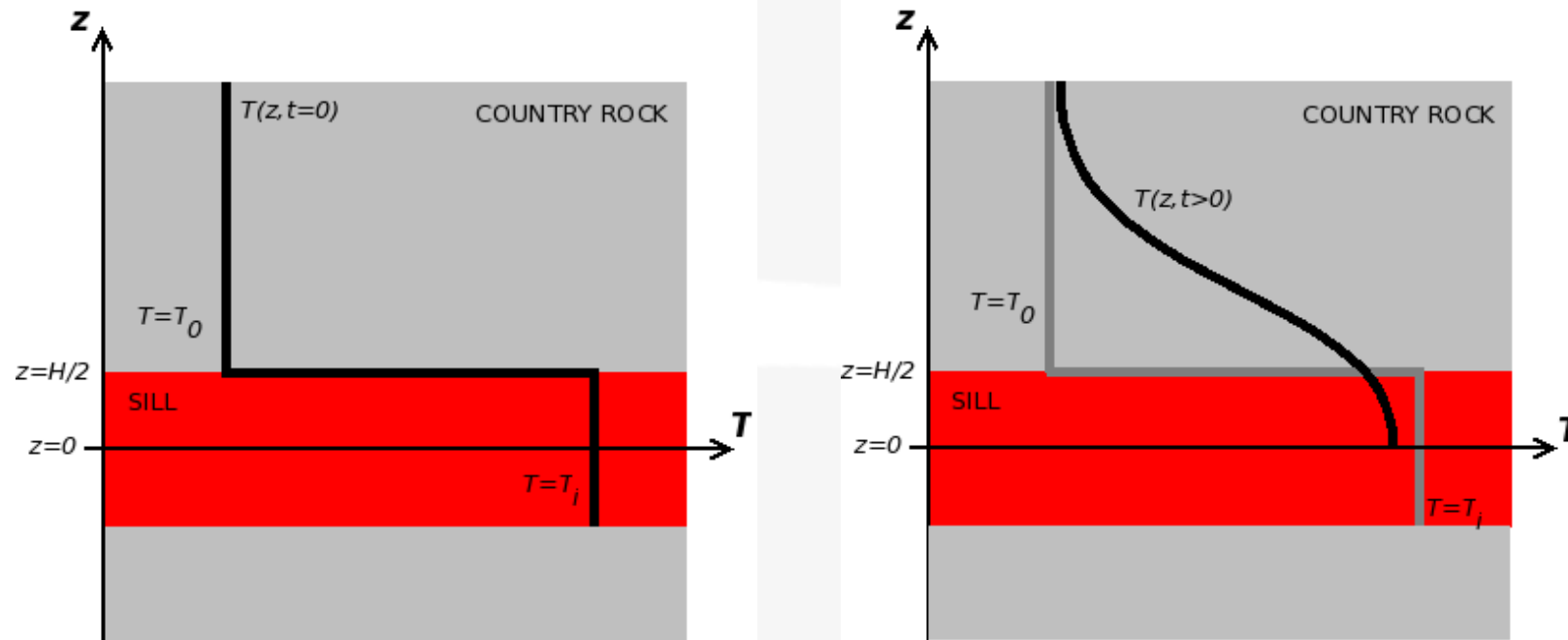
- Location of magma boundary, which moves downwards, is given by
$$z_m(t) = -2\lambda\sqrt{\kappa t}$$
- Layer thickness  $2z_m(t)$ .



# I Model B: magma well above solidus T

- If  $T_i \gg T_m$ , the intrusion does not solidify appreciably during time period considered.
- Probably more realistic, petrological results indicate that magma was as hot as  $950^\circ\text{C}$  but  $T_s = 700^\circ\text{C}$

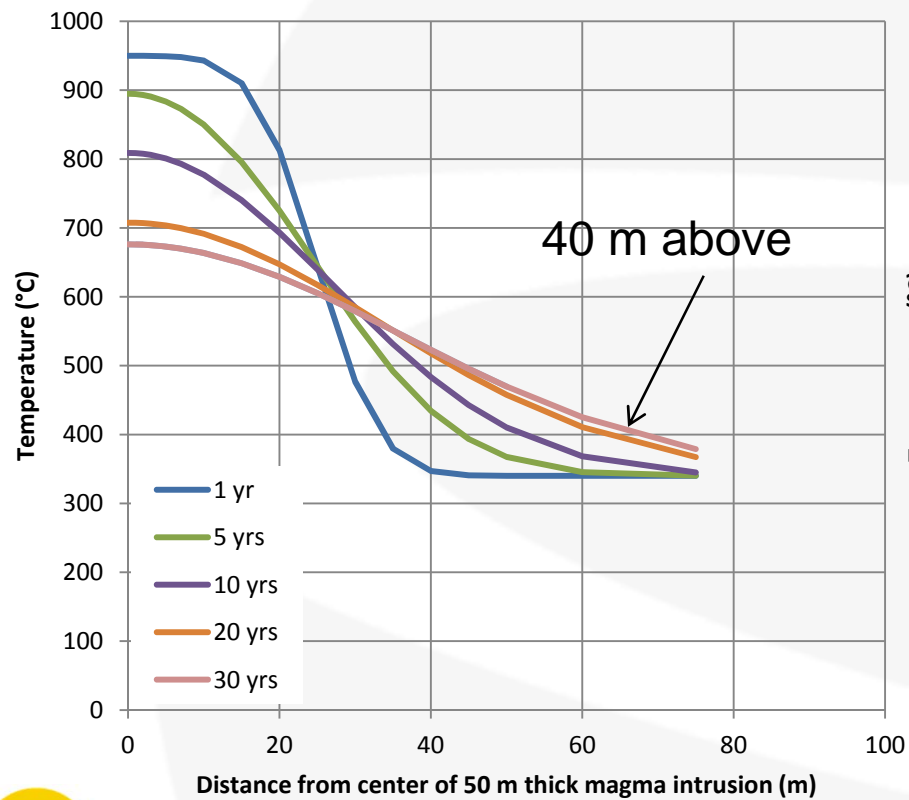
# I Model B: magma well above solidus T



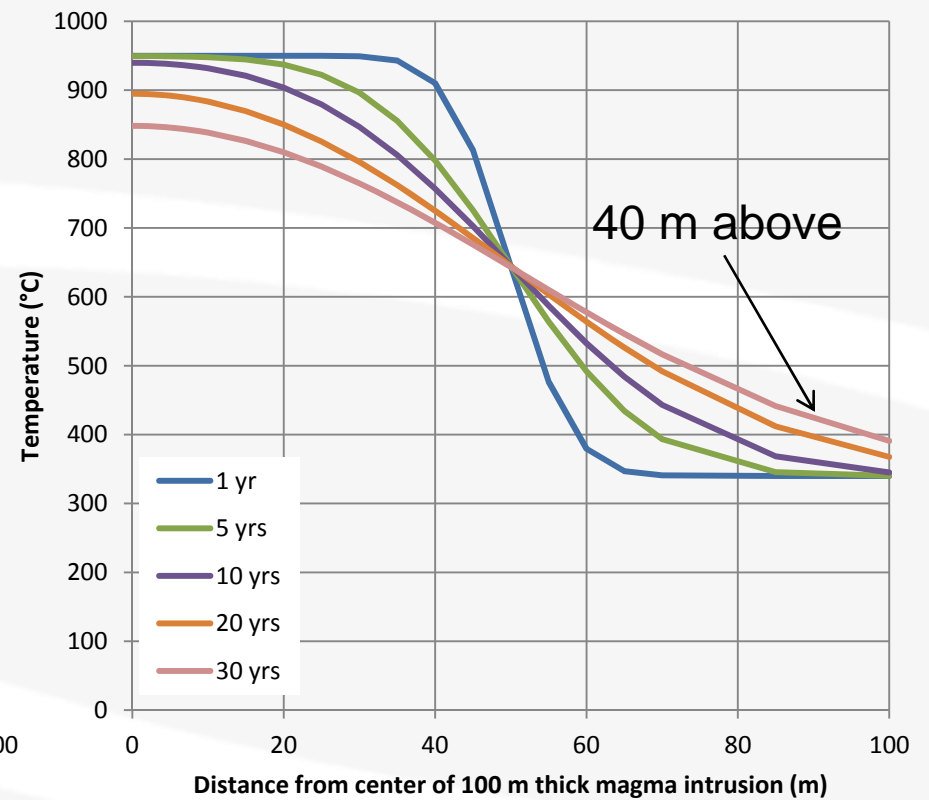
$$T(z, t) = T_0 + \frac{1}{2} (T_i - T_0) \left( \operatorname{erf} \left( \frac{\frac{H}{2} - z}{2\sqrt{\kappa t}} \right) + \operatorname{erf} \left( \frac{\frac{H}{2} + z}{2\sqrt{\kappa t}} \right) \right)$$

# I Model B: Temperature profiles

## 50 m thick intrusion



## 100 m thick intrusion

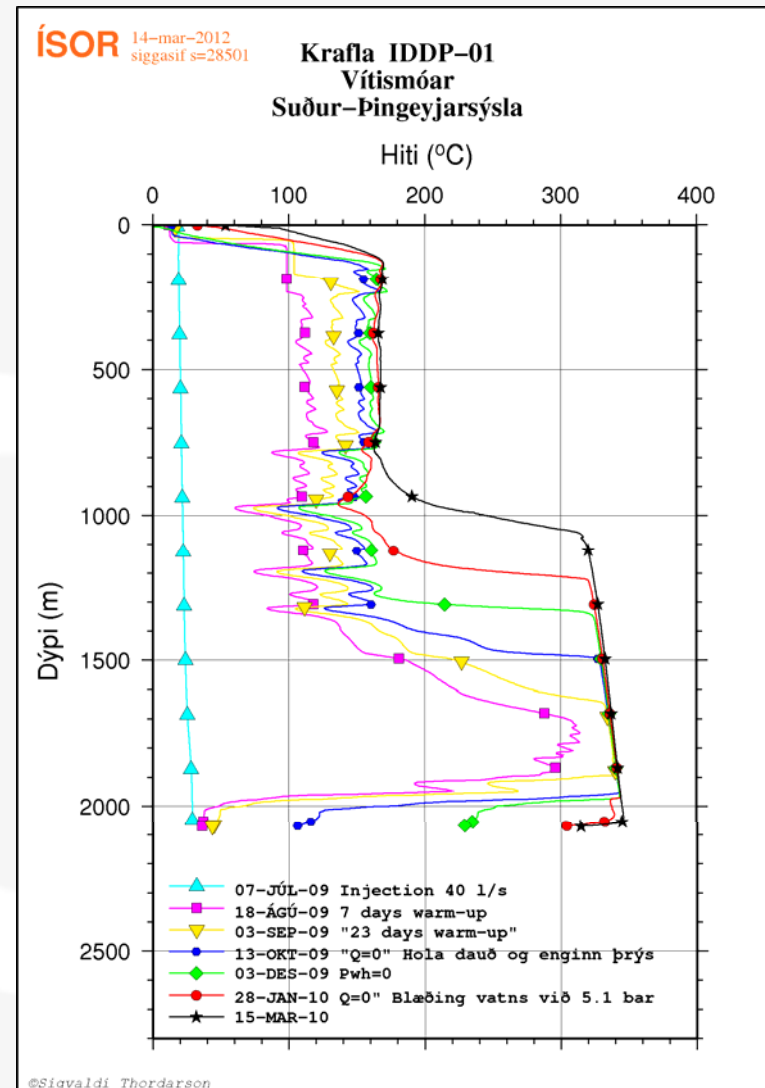


# I Model A+B: Conclusions

- Was magma emplaced as long ago as 25-35 years?
  - Inconclusive evidence. Can not be ruled out.
- How thick is the magma layer?
  - Model A indicates minimum thickness of 40 m
  - Model B indicates a thicker layer is more probable, or at least 50-100 m.
  - Rephrasing: If such thickness unlikely then emplacement 25-35 years ago is also unlikely.
- Both models demonstrate extremely slow heating by heat conduction alone.

# III Heat-up of permeable layer

- Injection of cold fluid stopped in July 2009 after 4.5 months.
- Well closed 11 August.
- Warm-up measurements until March 2010.

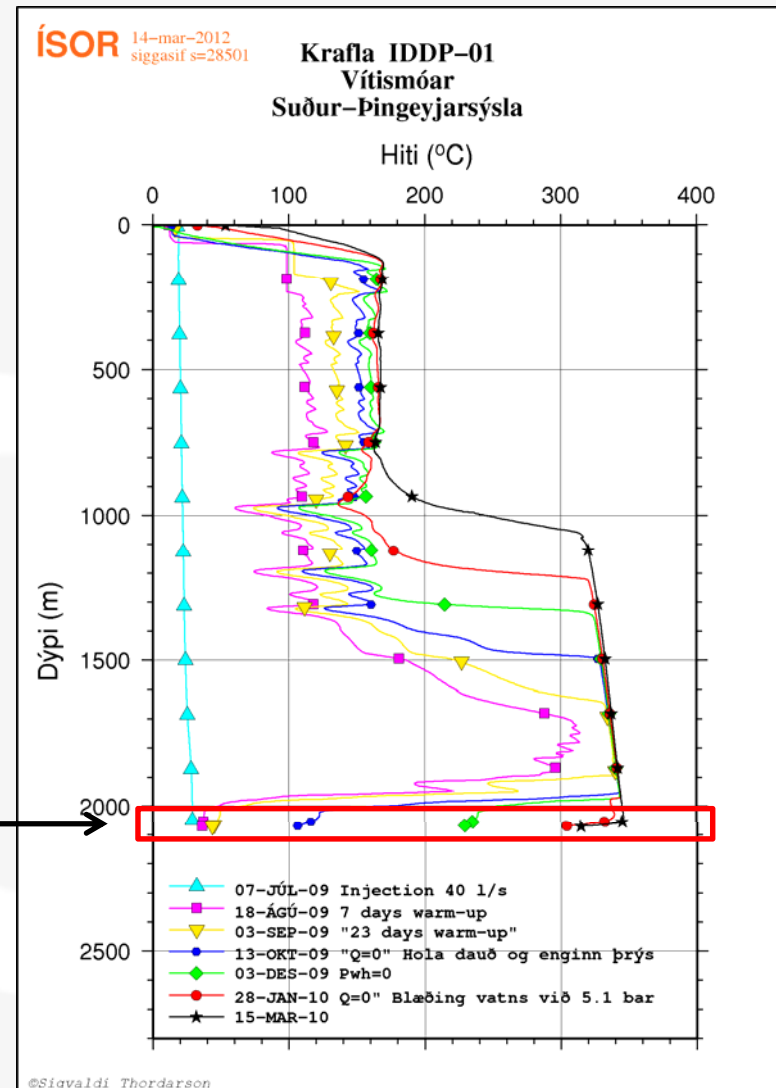




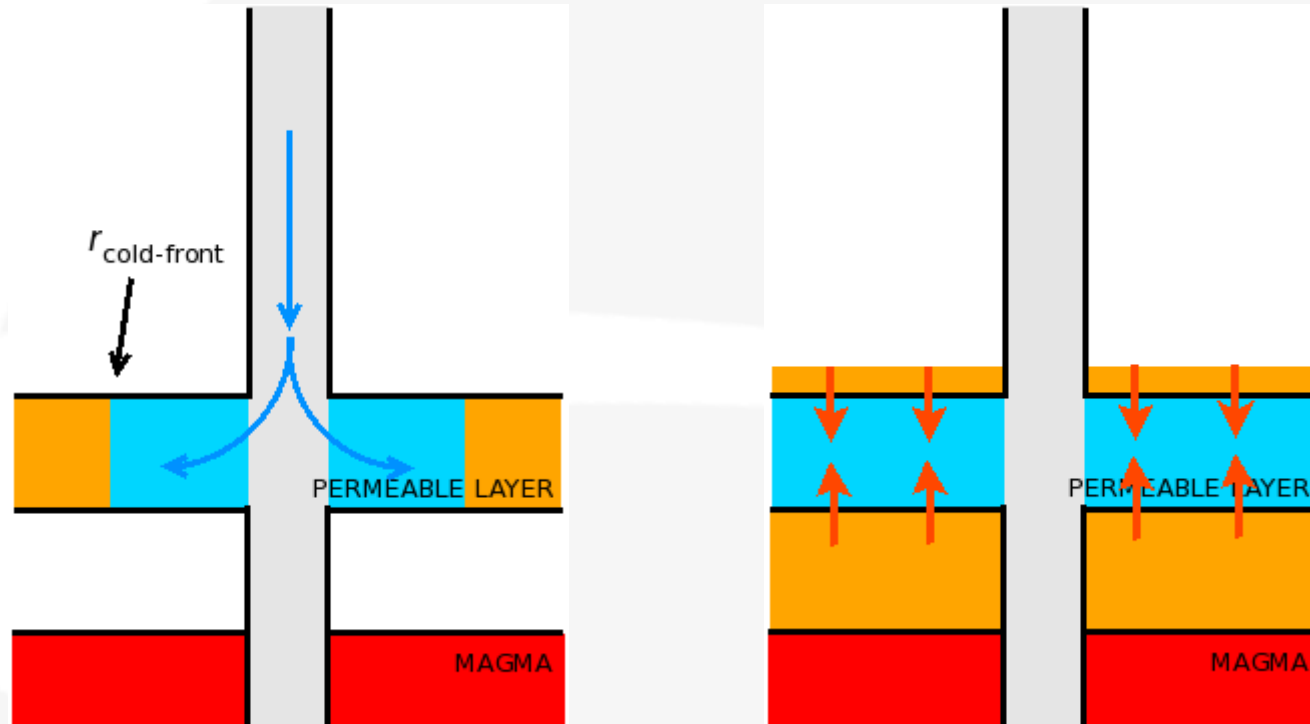
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Permeable layer →



### III Heat-up of permeable layer



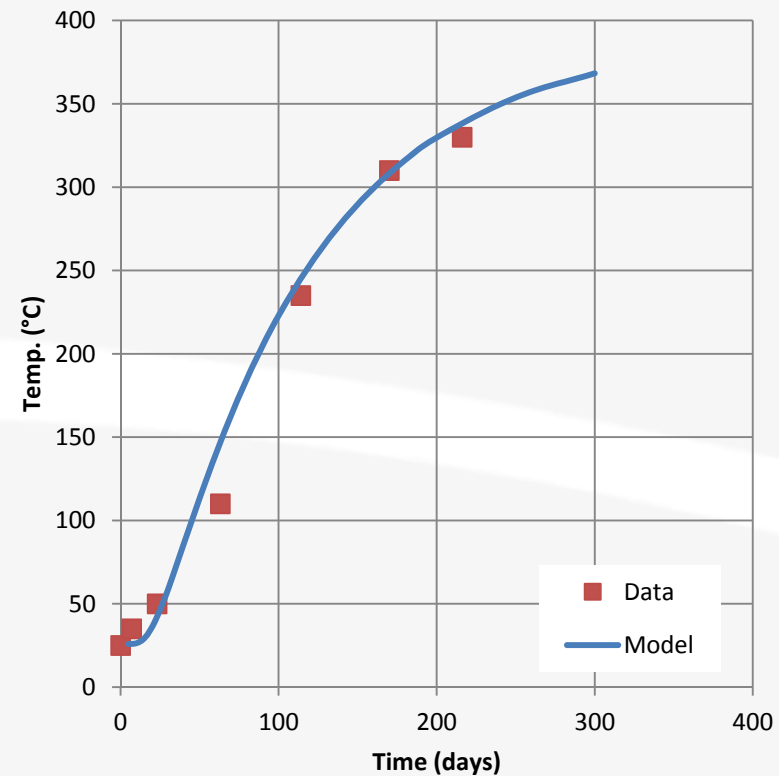
- Cold layer of thickness  $h$  embedded in rock of temperature  $T_p$

### III Heat-up of permeable layer

- Solution of the heat diffusion equation and fit to data gives best model for

$$h = 45 \text{ m}$$

$$T_p = 390^\circ\text{C}$$

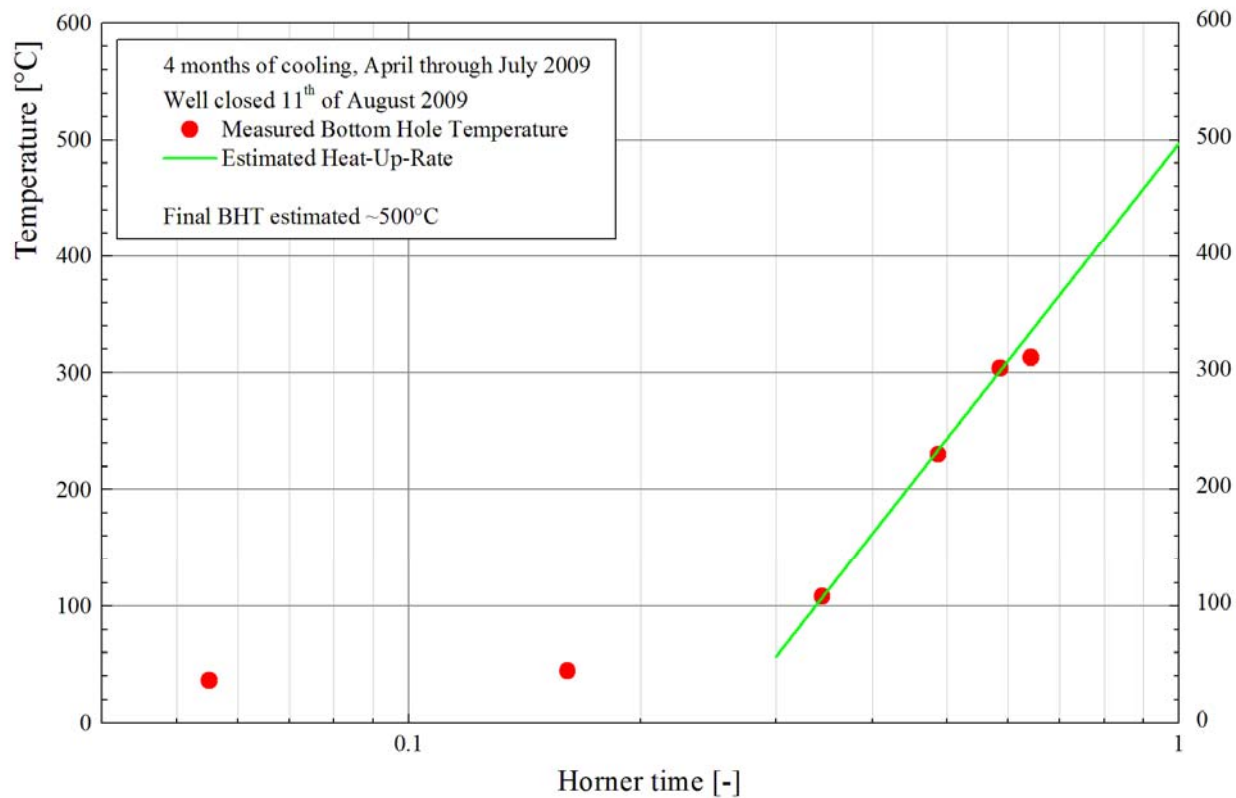


$$T(z, t) = T_c + (T_p - T_c) \left( 1 + \frac{4}{\pi} \sum_{n=1}^{\infty} \frac{(-1)^n}{(2n-1)} e^{-(2n-1)^2 \pi^2 \kappa t / h^2} \cos \left( \frac{\pi(2n-1)x}{h} \right) \right)$$

$$x = \frac{h}{2} - z; \quad z \text{ represents distance into layer}$$

# III Heat-up of permeable layer

## Horner method



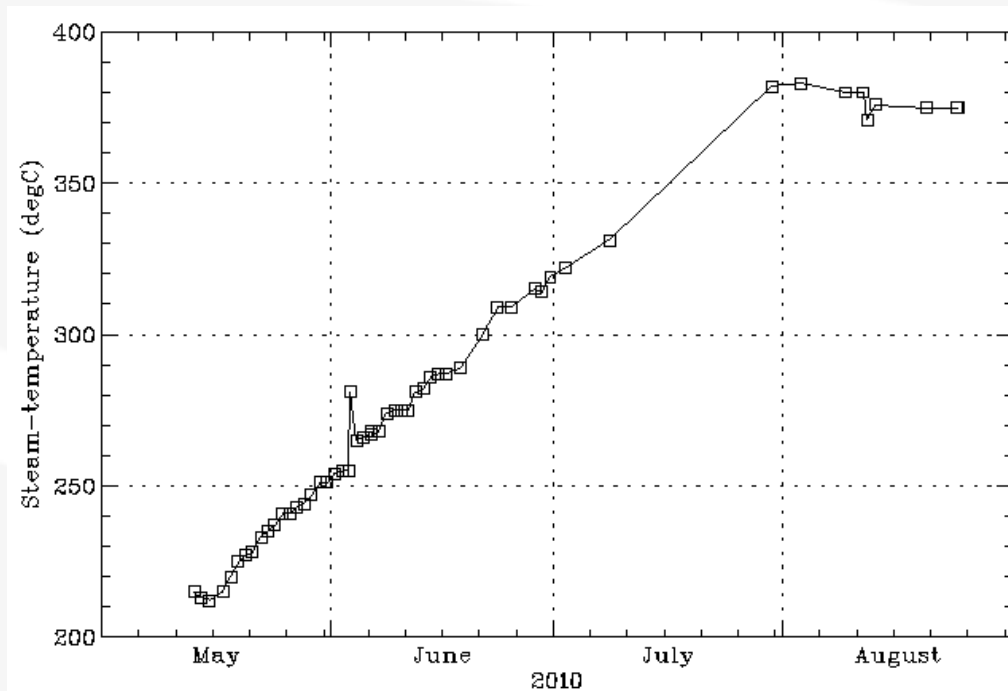
(From Þorsteinn Egilsson)

## III Heat-up of permeable layer

- Latest measurements show that well-head temperature has reached 450°C.
  - Is the model wrong?
  - Has something changed?

# IV Discharge test in 2010

	Location	T (°C)	p (bar-g)	h (kJ/kg)	Comment
<b>End of heating period</b>	down-hole	345	160	1630	liquid near boiling
<b>First days of discharge</b>	down-hole	220	~23	2800	wet steam
	well-head	210	~19	2796	
<b>End of discharge</b>	down-hole	390	~26	3217	superheated steam
	well-head	380	~22	3201	



# Conclusions

- Two simple models of magma heat-up can not rule out that the intrusion is as old as the Krafla episode.
- The models indicate that the magma layer has a minimum thickness of 50-100 m.
- Modelling of heat-up measurements indicate a temperature of 390°C in the permeable layer.
  - Recent measurements show that it is much higher.
- Steam discharged is superheated.
  - No contact to magma needed to explain.

Thank you!



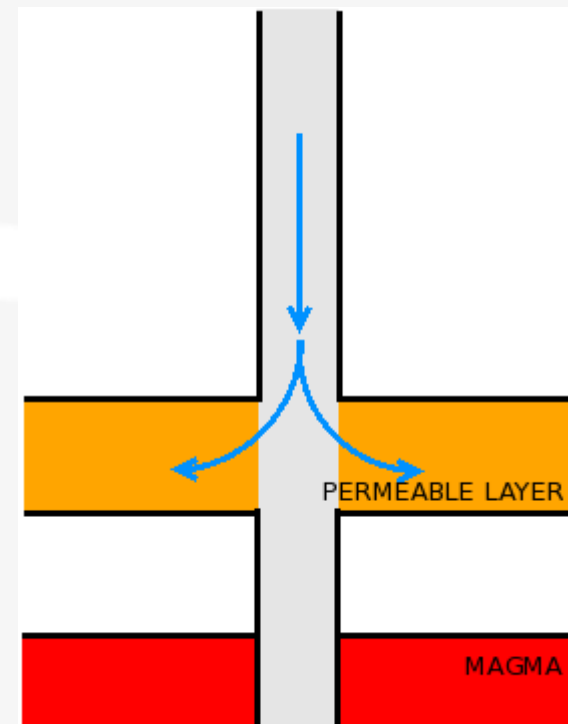


## II Cooling of permeable layer

- Circulation losses into permeable layer: 30 l/s during a period of 4.5 months.
- Estimate how far into formation cold front reaches.
- Model by Bödvarsson (1972), approximate solution

$$r_{cold-front} = \sqrt{\frac{\beta_w q t}{\pi \overline{\rho \beta} h}}; \quad \overline{\rho \beta} = \rho_w \beta_w \phi + \rho_r \beta_r (1 - \phi)$$

For  $h = 35$  m the cold front has



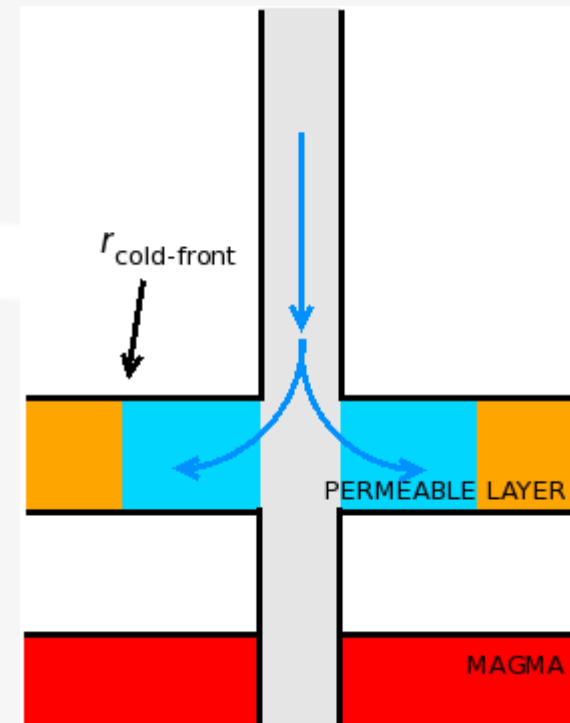
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## II Cooling of permeable layer

- Drawbacks:
  - Liquid water saturation assumed. Layer is likely saturated with superheated steam.
  - Neglects cooling of impermeable rock above and below.
- Cooling effect not significant.
  - Estimated thickness of boundary layer cooled by heat conduction:

$$z_{\text{skin}}(t) = 2.32\sqrt{\kappa t} \approx 5 \text{ m}$$

## II Cooling of permeable layer

